

## CHAPTER 7 Calculator Notes for the TI-73

### Note 7A • Function Notation

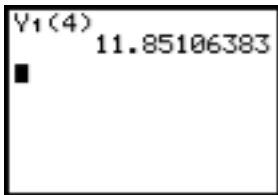
Functions are entered into the Y= screen and are referred to by name as Y<sub>1</sub>, Y<sub>2</sub>, Y<sub>3</sub>, and Y<sub>4</sub>.



To evaluate a function for a particular  $x$ -value (for example, Y<sub>1</sub> when  $x = 4$ , as shown in the screen here), press **2nd** [VARS], select 2:Y-Vars..., and select 1:Y<sub>1</sub>.



Then, press **[ ] [4] [ ]** **ENTER**.

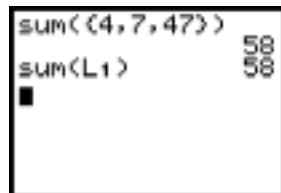
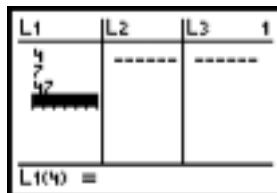
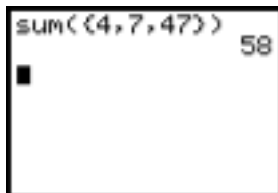
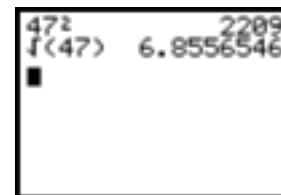


### Note 7B • Some Functions

To use the command for squaring, enter a number in the Home screen and press **x<sup>2</sup>** **ENTER**.

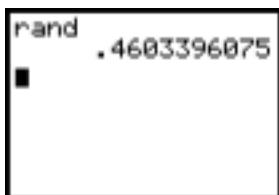
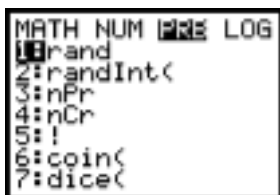
To use the command for square root, press **2nd** [**√**] in the Home screen. Then, enter a number, close the parentheses, and press **ENTER**.

To use the command for sum of a list, press **2nd** [STAT], arrow to MATH, and select 7:sum(. Then, press **2nd** [CATALOG], arrow up to the left brace, {, and press **ENTER**. Enter the numbers of a list, separating each number with a comma. Close the braces and the parentheses, and press **ENTER**. (You can also access braces from the Text screen by pressing **2nd** [TEXT].) Alternatively, press **LIST** and enter your numbers into a list, say list L<sub>1</sub>. Then enter sum(L<sub>1</sub>) in the Home screen and press **ENTER**.



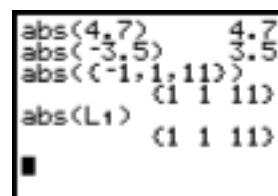
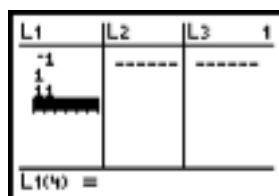
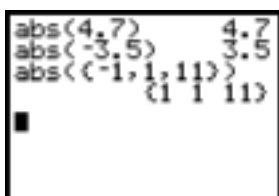
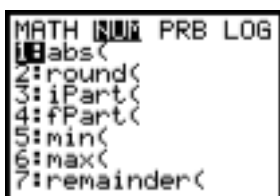
(continued)

The command for a random number generates a random 10-digit decimal number between 0 and 1. Press **[MATH]**, arrow to PRB, and select 1:rand. Then, press **[ENTER]**.



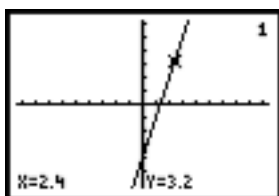
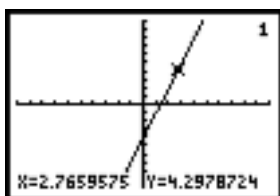
**Note 7C • Absolute Value**

Press **[MATH]**, arrow to NUMERIC, and select 1:abs(. Then, enter a number, close the parentheses, and press **[ENTER]**.



**Note 7D • Friendly Windows**

When you trace a function or locate a point on the screen, you often see long, “ugly” decimal values for the coordinates of your points. Sometimes, however, the values are “nice, friendly” values, like 2.4 or 4.84 or repeating decimals like 4.3333333.



When the proper values are set for Xmin and Xmax in the WINDOW screen, the coordinate values of your points are these “friendly” numbers for most functions, and the resulting graph windows are called friendly windows. This is because the calculator screen is made of tiny square dots called pixels. When you trace horizontally across the screen, the  $x$ -coordinate changes by one pixel with each trace step. There are a total of 94 pixels across the screen, and the value for  $\Delta x$  in the WINDOW screen sets the size of each trace step. For example, if you set  $\Delta x = 1$ , the breadth of the domain showing on the screen,  $X_{max} - X_{min}$ , will be 94 units. The calculator automatically puts the origin halfway between  $X_{min}$  and  $X_{max}$ , so it sets  $X_{min} = -47$  and  $X_{max} = 47$ . If  $\Delta x = 0.5$ , then  $X_{min} = -23.5$  and  $X_{max} = 23.5$ . Both of these settings for  $X_{min}$  and  $X_{max}$  create a friendly window. If, on the other hand, you set  $X_{min}$  and  $X_{max}$  arbitrarily,  $\Delta x$  is automatically set to be  $\frac{X_{max} - X_{min}}{94}$ , and it probably won't give rise to a friendly window. (Note: The  $y$ -coordinate is calculated by evaluating the function for the  $x$ -coordinate. So if the coefficients of a function are irrational, the  $y$ -coordinates will not be nice even in a friendly window.)

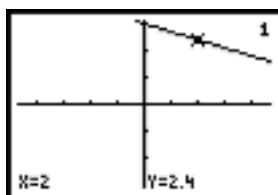
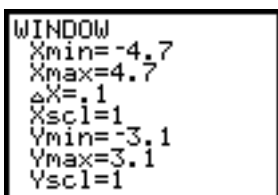
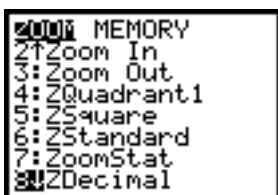
(continued)

### Square Windows

If  $\Delta x$ , the width of a pixel, equals  $\Delta y$ , the height of a pixel, the window is square. For example, the calculator screen is 94 pixels across and 62 pixels high. So if  $X_{\max} - X_{\min} = 94$  and  $Y_{\max} - Y_{\min} = 62$ , each pixel is 1 unit wide and 1 unit high and the screen is square. In a square window, squares appear as squares, not as rectangles or parallelograms, and the line  $y = x$  makes a  $45^\circ$  angle with both axes. A square window is often the preferred window to use because it displays no visual distortion. However, a square window showing 94 horizontal units and 62 vertical units is much too large for most applications.

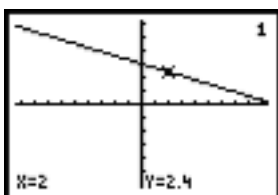
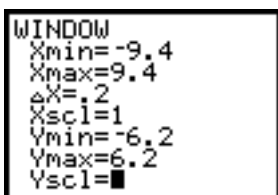
### Two Friendly Square Windows

If you press **ZOOM** and select 8:ZDecimal, you get a special small friendly square window with the values  $[-4.7, 4.7, 1, -3.1, 3.1, 1]$ . In this window,  $\Delta x = 0.1$ . ( $\Delta x$  is not listed in the window description.) The window is square because the horizontal and vertical units in the screen are equal in size. There are 94 horizontal pixels each with width 0.1 and 62 vertical pixels each with height 0.1. However, this window,  $[-4.7, 4.7, 1, -3.1, 3.1, 1]$ , is sometimes too small to show much of the graph.



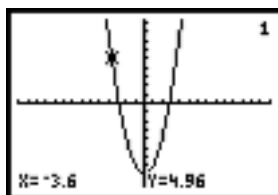
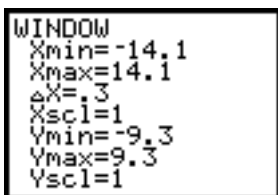
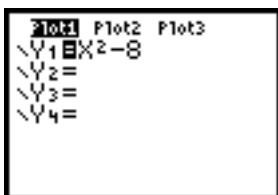
$[-4.7, 4.7, 1, -3.1, 3.1, 1]$

To see more of the graph in the window, you can double the  $X_{\min}$ ,  $X_{\max}$ ,  $Y_{\min}$ , and  $Y_{\max}$  values  $[-9.4, 9.4, 1, -6.2, 6.2, 1]$ . In this doubled window,  $\Delta x = 0.2$ . This square window is often used for problems in this course, and because it is two times the ZDecimal window, it is referred to as the friendly window with a factor of 2.



### Other Friendly Square Windows

Values for origin-centered friendly square windows are  $[-47 \cdot \Delta x, 47 \cdot \Delta x, 1, -31 \cdot \Delta y, 31 \cdot \Delta y, 1]$ . For example, if  $\Delta x$  and  $\Delta y$  each equal 0.3, then ...



(continued)

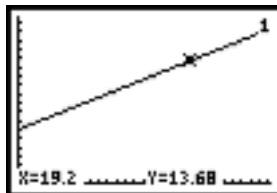
First-quadrant friendly square windows are  $[0, 94 \cdot \Delta x, 1, 0, 62 \cdot \Delta y, 1]$ . Again, if  $\Delta x$  and  $\Delta y$  each equal 0.3, then ...

```

2101 Plot2 Plot3
\Y1=4X+6
\Y2=
\Y3=
\Y4=
    
```

```

WINDOW
Xmin=0
Xmax=28.2
ΔX=.3
Xscl=1
Ymin=0
Ymax=8.6
Yscl=1
    
```



$[0, 28.2, 1, 0, 18.6, 1]$

### Friendly Windows That Are Not Square

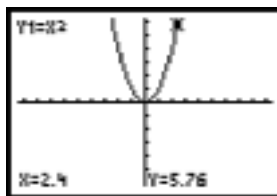
The Ymin and Ymax values of a friendly square window can be changed to show a larger or smaller range. The graph will look distorted, and it will no longer be square, but this might be necessary to see more of the graph. For example, the graph of  $y = x^2$  in the friendly square window  $[-9.4, 9.4, 1, -6.2, 6.2, 1]$  runs off the top of the graph for  $x$ -coordinates greater than 2.4. If you want to see more of the graph, change the window to  $[-9.4, 9.4, 1, -10, 100, 10]$ . This is a friendly window because the coordinates are still nice, but it is not square.

```

WINDOW
Xmin=-9.4
Xmax=9.4
ΔX=.2
Xscl=1
Ymin=-6.2
Ymax=6.2
Yscl=1
    
```

```

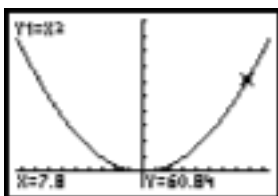
2101 Plot2 Plot3
\Y1=X^2
\Y2=
\Y3=
\Y4=
    
```



$[-9.4, 9.4, 1, -6.2, 6.2, 1]$

```

WINDOW
Xmin=-9.4
Xmax=9.4
ΔX=.2
Xscl=1
Ymin=-10
Ymax=100
Yscl=10
    
```



$[-9.4, 9.4, 1, -10, 100, 10]$